

PHYS 1443 – Section 002

Lecture #3

Wednesday, September 3, 2008

Dr. Jaehoon Yu

- Dimensions and Dimensional Analysis
- Fundamentals of kinematics
- One Dimensional Motion
- Displacement
- Speed and Velocity
- Acceleration
- Motion under constant acceleration

Today's homework is homework #2, due 9pm, Monday, Sept. 8!!



Announcements

- Homework
 - 58 out of 68 registered so far.
 - Still have trouble w/ UT e-ID?
 - Check out <https://hw.utexas.edu/bur/commonProblems.html>
 - 25% of the total. So it is very important for you to set this up ASAP!!!
- 49 out of 68 subscribed to the class e-mail list
 - 3 point extra credit if done by midnight today, Wednesday, Sept. 3
 - Will send out a test message tomorrow, Thursday, for confirmation
 - Please reply only to me NOT to all!!
- Physics Department colloquium schedule at
 - http://www.uta.edu/physics/main/phys_news/colloquia/2008/Fall2008.html
 - Today's topic is Nanostructure Fabrication
- The first term exam is to be on Wednesday, Sept. 17
 - Will cover CH1 – what we finish on Monday, Sept. 15 + Appendices A and B
 - Mixture of multiple choices and essay problems
 - Jason will conduct a review in the class Monday, Sept. 15

Wednesday, Sept. 3, 2008



PHYS1443-002-Fall 2008

Physics Department
The University of Texas at Arlington
COLLOQUIUM

**Nanostructures Fabricated by Glancing
Angle Deposition and Their Novel
Applications**

Dr. Yiping Zhao

Department of Physics and Astronomy
Nanoscale Science and Engineering Center
University of Georgia

Wednesday, September 3, 2008 at 4:00 pm in **Room 101 SH**

Abstract

Glancing Angle Deposition (GLAD) is a simple nanofabrication technique that combines oblique angle deposition (OAD) with substrate manipulations and source controls in a physical vapor deposition system. The geometry shadowing effect is the dominant growth mechanism resulting in the formation of various nanostructure arrays by programming the substrate rotation in polar and/or azimuthal direction. With recent advance in a multilayer deposition procedure, one can design complex and multifunctional heterogeneous nanostructures. In addition, with a co-deposition system of two or more sources, novel nanocomposites or doped nanostructure arrays can be produced, which results in nanostructures with different morphology. In this talk, I will highlight our recent progress in multi-component nanorod array fabrication. We find that the multicomponent nanorods can be used as a high sensitive virus and bacteria sensor base on florescence enhancement. Using a unique multilayer deposition configuration, catalytically driven nanomotors have also been fabricated and demonstrated, which can directly convert chemical energy into mechanical energy. This device holds a great promising to mimic biological motors.

Refreshments will be served in the Physics Lounge at 3:30 pm

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Dimension and Dimensional Analysis

- An extremely useful concept in solving physical problems
- Good to write physical laws in mathematical expressions
- No matter what units are used the base quantities are the same
 - *Length* (distance) is length whether meter or inch is used to express the size: Usually denoted as $[L]$
 - The same is true for *Mass* ($[M]$) and *Time* ($[T]$)
 - One can say “Dimension of Length, Mass or Time”
 - Dimensions are treated as algebraic quantities: Can perform two algebraic operations; multiplication or division



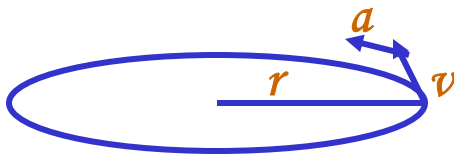
Dimension and Dimensional Analysis

- One can use dimensions only to check the validity of one's expression: Dimensional analysis
 - Eg: Speed $[v] = [\mathcal{L}]/[T] = [\mathcal{L}][T^{-1}]$
 - *Distance ($\mathcal{L}$) traveled by a car running at the speed $\mathcal{V}$ in time T*
 - $\mathcal{L} = \mathcal{V} * T = [\mathcal{L}/T] * [T] = [\mathcal{L}]$
 - More general expression of dimensional analysis is using exponents: eg. $[v] = [\mathcal{L}^n T^m] = [\mathcal{L}][T^{-1}]$
where $n = 1$ and $m = -1$

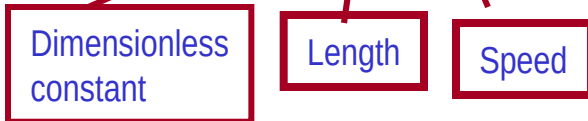


Examples

- Show that the expression $[v] = [at]$ is dimensionally correct
 - Speed: $[v] = [L]/[T]$
 - Acceleration: $[a] = [L]/[T]^2$
 - Thus, $[at] = (L/T^2) \times T = LT^{(-2+1)} = LT^{-1} = [L]/[T] = [v]$
- Suppose the acceleration a of a circularly moving particle with speed v and radius r is proportional to r^n and v^m . What are n and m ?



$$a = kr^n v^m$$



$$L^1 T^{-2} = (L)^n \left(\frac{L}{T} \right)^m = L^{n+m} T^{-m}$$

$$-m = -2 \Rightarrow m = 2$$

$$n + m = n + 2 \equiv 1 \Rightarrow n = -1$$

$$a = kr^{-1} v^2 = \frac{v^2}{r}$$

Some Fundamentals

- Kinematics: Description of Motion without understanding the cause of the motion
- Dynamics: Description of motion accompanied with understanding the cause of the motion
- Vector and Scalar quantities:
 - Scalar: Physical quantities that require magnitude but no direction
 - Speed, length, mass, height, volume, area, magnitude of a vector quantity, etc
 - Vector: Physical quantities that require both magnitude and direction
 - Velocity, Acceleration, Force, Momentum
 - It does not make sense to say “I ran with velocity of 10miles/hour.”
- Objects can be treated as point-like if their sizes are smaller than the scale in the problem
 - Earth can be treated as a point like object (or a particle) in celestial problems
 - Simplification of the problem (The first step in setting up to solve a problem...)
 - Any other examples?



Some More Fundamentals

- Motions: Can be described as long as the position is known at any given time (or position is expressed as a function of time)
 - Translation: Linear motion along a line
 - Rotation: Circular or elliptical motion
 - Vibration: Oscillation
- Dimensions
 - 0 dimension: A point
 - 1 dimension: Linear drag of a point, resulting in a line →
Motion in one-dimension is a motion on a line
 - 2 dimension: Linear drag of a line resulting in a surface
 - 3 dimension: Perpendicular Linear drag of a surface, resulting in a stereo object



Displacement, Velocity and Speed

One dimensional displacement is defined as:

$$\Delta x \equiv x_f - x_i$$

Displacement is the difference between initial and final positions of motion and is a vector quantity. How is this different than distance?

Average velocity is defined as:
$$v_x \equiv \frac{x_f - x_i}{t_f - t_i} = \frac{\Delta x}{\Delta t}$$

Displacement per unit time in the period throughout the motion

Average speed is defined as:

$$v \equiv \frac{\text{Total Distance Traveled}}{\text{Total Time Spent}}$$

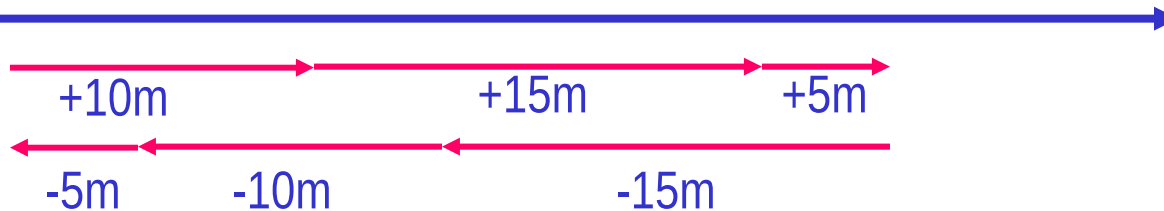
Can someone tell me what the difference between speed and velocity is?

Difference between Speed and Velocity

- Let's take a simple one dimensional translation that has many steps:

Let's call this line as X-axis

Let's have a couple of motions in a total time interval of 20 sec.



Total Displacement: $\Delta x \equiv x_f - x_i = x_i - x_i = 0(m)$

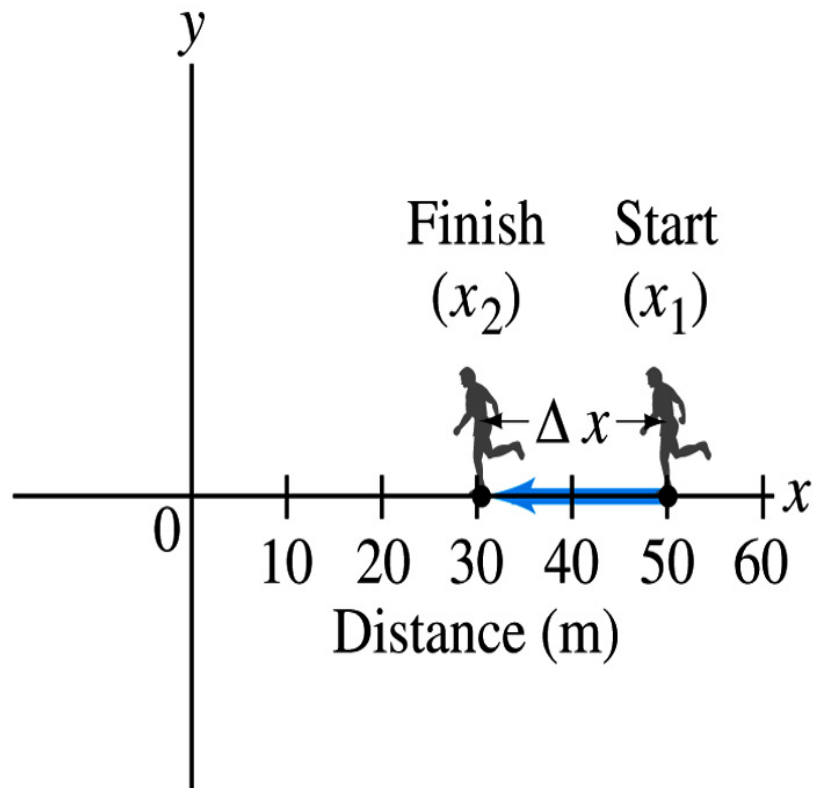
Average Velocity: $v_x \equiv \frac{x_f - x_i}{t_f - t_i} = \frac{\Delta x}{\Delta t} = \frac{0}{20} = 0(m/s)$

Total Distance Traveled: $D = 10 + 15 + 5 + 15 + 10 + 5 = 60(m)$

Average Speed: $v \equiv \frac{\text{Total Distance Traveled}}{\text{Total Time Interval}} = \frac{60}{20} = 3(m/s)$

Example 2.1

The position of a runner as a function of time is plotted as moving along the x axis of a coordinate system. During a 3.00-s time interval, the runner's position changes from $x_1=50.0\text{m}$ to $x_2=30.5\text{ m}$, as shown in the figure. What was the runner's average velocity? What was the average speed?



- Displacement:

$$\Delta x \equiv x_f - x_i = x_2 - x_1 = 30.5 - 50.0 = -19.5(\text{m})$$

- Average Velocity:

$$v_x \equiv \frac{x_f - x_i}{t_f - t_i} = \frac{x_2 - x_1}{t_2 - t_1} = \frac{\Delta x}{\Delta t} = \frac{-19.5}{3.00} = -6.50(\text{m/s})$$

- Average Speed:

$$\begin{aligned} v &\equiv \frac{\text{Total Distance Traveled}}{\text{Total Time Interval}} \\ &= \frac{50.0 - 30.5}{3.00} = \frac{+19.5}{3.00} = +6.50(\text{m/s}) \end{aligned}$$