

PHYS 1441 – Section 002

Lecture #1

Monday, Aug. 24, 2009

Dr. Jaehoon Yu

- What is Physics?
- Brief history of physics
- Standards and units
- Dimensional Analysis
- Coordinate Systems

Today's homework is homework #1, due 9pm, Thursday, Sept. 3!!

Monday, Aug. 24, 2009



PHYS 1441-002, Fall 2009 Dr. Jaehoon Yu

1

Why do Physics?

Exp. { • To understand nature through experimental observations and measurements

Theory { • Establish limited number of fundamental laws, usually with mathematical expressions
• Predict the nature's course

⇒ Theory and Experiment work hand-in-hand

⇒ Theory works generally under restricted conditions

⇒ Discrepancies between experimental measurements and theory are good for improvements

⇒ Improves our everyday lives, though some laws can take a while till we see them amongst us



Brief History of Physics

- AD 18th century:
 - Newton's Classical Mechanics: A theory of mechanics based on observations and measurements
- AD 19th Century:
 - Electricity, Magnetism, and Thermodynamics
- Late AD 19th and early 20th century (Modern Physics Era)
 - Einstein's theory of relativity: Generalized theory of space, time, and energy (mechanics)
 - Quantum Mechanics: Theory of atomic phenomena
- Physics has come very far, very fast, and is still progressing, yet we've got a long way to go
 - What is matter made of?
 - How do matters get mass?
 - How and why do matters interact with each other?
 - How is universe created?



Models, Theories and Laws

- **Models:** An analogy or a mental image of a phenomena in terms of something we are familiar with
 - Thinking light as waves, behaving just like water waves
 - Often provide insights for new experiments and ideas
- **Theories:** More systematically improved version of models
 - Can provide quantitative predictions that are testable and more precise
- **Laws:** Certain concise but general statements about how nature behaves
 - Energy conservation
 - The statement must be found experimentally valid to become a law
- **Principles:** Less general statements of how nature behaves
 - Has some level of arbitrariness



Uncertainties

- Physical measurements have limited precision, however good they are, due to:

Stat. { – Number of measurements

Syst. { – Quality of instruments (meter stick vs micro-meter)
– Experience of the person doing measurements
– Etc

- In many cases, uncertainties are more important and difficult to estimate than the central (or mean) values



Significant Figures

- Significant figures denote the precision of the measured values
 - Significant figures: non-zero numbers or zeros that are not place-holders
 - 34, 34.2, 0.001, 34.100
 - 34 has two significant digits
 - 34.2 has 3
 - 0.001 has one because the 0's before 1 are place holders
 - 34.100 has 5, because the 0's after 1 indicates that the numbers in these digits are indeed 0's.
 - When there are many 0's, use scientific notation for simplicity:
 - $31400000 = 3.14 \times 10^7$
 - $0.00012 = 1.2 \times 10^{-4}$



Significant Figures

- Operational rules:
 - Addition or subtraction: Keep the **smallest number of decimal place** in the result, independent of the number of significant digits: $12.001 + 3.1 = 15.1$
 - Multiplication or Division: Keep the **smallest significant figures** in the result: $12.001 \times 3.1 = 37$, because the smallest significant figures is ?.

What does this mean? The worst precision determines the precision the overall operation!!



Needs for Standards and Units

- Three basic quantities for physical measurements
 - Length, Mass, and Time
- Need a language that everyone can understand each other
 - Consistency is crucial for physical measurements
 - The same quantity measured by one must be comprehensible and reproducible by others
 - Practical matters contribute
- A system of unit called **SI** (*System Internationale*) was established in 1960
 - **Length** in meters (m)
 - **Mass** in kilo-grams (kg)
 - **Time** in seconds (s)



Definition of Base Units

SI Units	Definitions
$1 \text{ m (Length)} = 100 \text{ cm}$	One meter is the length of the path traveled by light in vacuum during a time interval of <u>1/299,792,458 of a second</u> .
$1 \text{ kg (Mass)} = 1000 \text{ g}$	It is equal to the mass of the international prototype of the kilogram, made of platinum-iridium in International Bureau of Weights and Measure in France.
1 s (Time)	One second is the <u>duration of 9,192,631,770 periods of the radiation</u> corresponding to the transition between the two hyperfine levels of the ground state of the Cesium 133 (C^{133}) atom.

- *There are prefixes that scales the units larger or smaller for convenience (see pg. 9)*
- *Units for other quantities, such as Kelvins for temperature, for ease of use*



Prefixes, expressions and their meanings

Larger

- deca (da): 10^1
- hecto (h): 10^2
- kilo (k): 10^3
- mega (M): 10^6
- giga (G): 10^9
- tera (T): 10^{12}
- peta (P): 10^{15}
- exa (E): 10^{18}
- zetta (Z): 10^{21}
- yotta (Y): 10^{24}

Smaller

- deci (d): 10^{-1}
- centi (c): 10^{-2}
- milli (m): 10^{-3}
- micro (μ): 10^{-6}
- nano (n): 10^{-9}
- pico (p): 10^{-12}
- femto (f): 10^{-15}
- atto (a): 10^{-18}
- zepto (z): 10^{-21}
- yocto (y): 10^{-24}



International Standard Institutes

- International Bureau of Weights and Measure
<http://www.bipm.fr/>
 - Base unit definitions:
http://www.bipm.fr/enus/3_SI/base_units.html
 - Unit Conversions: http://www.bipm.fr/enus/3_SI/
- US National Institute of Standards and Technology (NIST) <http://www.nist.gov/>



How do we convert quantities from one unit to another?

$$\text{Unit 1} = \text{Conversion factor} \times \text{Unit 2}$$

1 inch	2.54	cm
1 inch	0.0254	m
1 inch	2.54×10^{-5}	km
1 ft	30.3	cm
1 ft	0.303	m
1 ft	3.03×10^{-4}	km
1 hr	60	minutes
1 hr	3600	seconds
And many	More	Here....



Examples for Unit Conversions

- Ex: An apartment has a floor area of 880 square feet (ft²). Express this in square meters (m²).

What do we need to know?

$$\begin{aligned}
 880 \text{ ft}^2 &= 880 \text{ ft}^2 \times \left(\frac{12 \text{ in}}{1 \text{ ft}} \right)^2 \left(\frac{0.0254 \text{ m}}{1 \text{ in}} \right)^2 \\
 &= 880 \cancel{\text{ft}^2} \times \left(\frac{0.0929 \text{ m}^2}{1 \cancel{\text{ft}^2}} \right) \\
 &= 880 \times 0.0929 \text{ m}^2 \approx 82 \text{ m}^2
 \end{aligned}$$

Ex 1.5: Where the posted speed limit is 55 miles per hour (mi/h or mph), what is this speed (a) in meters per second (m/s) and (b) kilometers per hour (km/h)?

$$1 \text{ mi} = (5280 \text{ ft}) \left(\frac{12 \text{ in}}{1 \text{ ft}} \right) \left(\frac{2.54 \text{ cm}}{1 \text{ in}} \right) \left(\frac{1 \text{ m}}{100 \text{ cm}} \right) = 1609 \text{ m} = 1.609 \text{ km}$$

$$(a) \quad 55 \text{ mi/h} = (55 \text{ mi}) \left(\frac{1609 \text{ m}}{1 \text{ mi}} \right) \left(\frac{1}{1 \text{ h}} \right) \left(\frac{1 \text{ h}}{3600 \text{ s}} \right) = 25 \text{ m/s}$$

$$(b) \quad 55 \text{ mi/h} = (55 \text{ mi}) \left(\frac{1.609 \text{ km}}{1 \text{ mi}} \right) \left(\frac{1}{1 \text{ h}} \right) = 88 \text{ km/hr}$$



Estimates & Order-of-Magnitude Calculations

- Estimate = Approximation
 - Useful for rough calculations to determine the necessity of higher precision
 - Usually done under certain assumptions
 - Might require modification of assumptions, if higher precision is necessary
- Order of magnitude estimate: Estimates done to the precision of 10s or exponents of 10s;
 - Three orders of magnitude: $10^3=1,000$
 - Round up for Order of magnitude estimate; $8 \times 10^7 \sim 10^8$
 - Similar terms: “Ball-park-figures”, “guesstimates”, etc

