PHYS 1441 – Section 002 Lecture #14

Monday, Oct. 25, 2010 Dr. <mark>Jae</mark>hoon <mark>Yu</mark>

- Work Kinetic Energy Theorem Revisited
- Work and Energy Involving Kinetic Friction
- Potential Energy
- Gravitational Potential Energy
- Elastic Potential Energy
- Mechanical Energy Conservation

Today's homework is homework #8, due 10pm, Tuesday, Nov. 2!!



Announcements

- Quiz #3
 - Class average: 6.6/10
 - Equivalent to 66/100
 - Previous quizzes: 53/100 and 56/100
 - Top score: 10
- 2nd non-comprehensive term exam
 - Date: Wednesday, Nov. 3
 - Time: 1 2:20pm in class
 - Covers: CH3.5 CH6.7
 - There will be a review in class Monday, Nov. 1
 - Bring your own problems to solve
- Mid-term grade discussion this Wednesday
 - Dr. Yu's office, CPB342
 - A F: 12:45 1:15
 - F N: 1:15 1:50
 - N Y: 1:50 2:20
- Colloquium this week
 - On the subject of renewable energy



Physics Department The University of Texas at Arlington COLLOQUIUM

First-principles design of functional materials for energy applications

Su-Huai Wei

Theoretical Materials Science Group, National Renewable Energy Laboratory, Golden, Colorado, USA 4:00 pm Wednesday October 27, 2010 room 101 SH

Abstract:

Materials design using first-principles techniques is one the ultimate goals in computational materials science. Due to the recent advancement in first-principles electronic structure theory and computing power, it is now possible to perform *knowledge-based* computational design of materials with unique optical, electrical, or magnetic properties that are tuned to specific energy related applications. This vital tool, therefore, has the great potential to accelerate scientific discovery of energy materials. In this talk, selective works from my group will be discussed to illustrate how computational methods can be used to design functional materials. Some of the examples include (i) absorber materials through cation mutation for solar cells, (ii) bipolarly, dopable transparent conducting oxides (TCO) for optoelectronic devices, (iii) filled tetrahedron nitride alloys for solid state lighting applications, (iv) low band gap oxides for photoelectrochemical hydrogen production through water splitting, (v) hydrogen storage material with enhanced σ -s interactions, and (vi) inorganic material for hybrid organic photovoltaic applications.

Refreshments will be served at 3:30p.m. in the Physics Library

Reminder: Special Project

- Using the fact that g=9.80m/s² on the Earth's surface, find the average density of the Earth.
 - Use the following information only
 - The gravitational constant $G = 6.67 \times 10^{-11} N \cdot m^2 / kg^2$
 - The radius of the Earth $R_E = 6.37 \times 10^3 km$
- 20 point extra credit
- Due: This Wednesday, Oct. 27
- You must show your OWN, detailed work to obtain any credit!!





Initial kinetic
energy =
$$\frac{1}{2}mv_0^2$$
 Final kinetic
energy = $\frac{1}{2}mv_f^2$

When a net external force by the jet engine does work on and object, the kinetic energy of the object changes according to

$$W = KE_{f} - KE_{o} = \frac{1}{2}mv_{f}^{2} - \frac{1}{2}mv_{o}^{2}$$



Ex. Deep Space 1

The mass of the space probe is 474-kg and its initial velocity is 275 m/s. If a 56.0-mN force acts on the probe parallel through a displacement of 2.42×10^9 m, what is its final speed?



Ex. Satellite Motion and Work By the Gravity

A satellite is moving about the earth in a circular orbit and an elliptical orbit. For these two orbits, determine whether the kinetic energy of the satellite changes during the motion. For a circular orbit No change! Why not?

Gravitational force is the only external force but it is perpendicular to the displacement. So no work.

For an elliptical orbit Changes! Why?

Gravitational force is the only external force but its angle with respect to the displacement varies. So it performs work.





Work and Energy Involving Kinetic Friction

- What do you think the work looks like if there is friction?
 - Static friction does not matter! Why? It isn't there when the object is moving.
 - Then which friction matters?

Kinetic Friction



Friction force \mathcal{F}_{fr} works on the object to slow down

The work on the object by the friction \mathcal{F}_{fr} is

$$W_{fr} = F_{fr} d\cos(180) = -F_{fr} d \quad \Delta K E = F_{fr} d$$

The negative sign means that the work is done on the friction!!

The final kinetic energy of an object, taking into account its initial kinetic energy, friction force and other source of work, is

$$KE_{f} = KE_{i} + \sum W - F_{fr}d$$

$$t=0, KE_{i}$$

$$Friction, t=T, KE_{f}$$
Monday, Oct. 25, 2010
$$V_{U}$$

$$t=0, KE_{i}$$

$$Friction, t=T, KE_{f}$$

$$KE_{i}$$

$$Friction, t=T, KE_{f}$$

Ex. Downhill Skiing

A 58kg skier is coasting down a 25° slope. A kinetic frictional force of magnitude f_k =70N opposes her motion. At the top of the slope, the skier's speed is v₀=3.6m/s. Ignoring air resistance, determine the speed v_f at the point that is displaced 57m downhill.

What are the forces in this motion?



Gravitational force: F_g Normal force: F_N Kinetic frictional force: f_k What are the X and Y component of the net force in this motion?

Y component $\sum F_{y} = F_{gy} + F_{N} = -mg \cos 25^{\circ} + F_{N} = 0$

From this we obtain $F_N = mg \cos 25^\circ = 58 \cdot 9.8 \cdot \cos 25^\circ = 515N$ What is the coefficient of kinetic friction? $f_k = \mu_k F_N$ $\mu_k = \frac{f_k}{F_N} = \frac{70}{515} = 0.14$





Example of Work Under Friction

A 6.0kg block initially at rest is pulled to East along a horizontal surface with coefficient of kinetic friction m_k =0.15 by a constant horizontal force of 12N. Find the speed of the block after it has moved 3.0m.

Work done by the force
$$\mathcal{F}$$
 is
 $v_i = 0$
 $v_f = |\vec{F}| |\vec{d}| \cos \theta = 12 \times 3.0 \cos 0 = 36 (J)$
 $W_F = |\vec{F}| |\vec{d}| \cos \theta = 12 \times 3.0 \cos 0 = 36 (J)$
 $W_k = \vec{F}_k \cdot \vec{d} = |\vec{F}_k| |\vec{d}| \cos \theta = |\mu_k mg| |\vec{d}| \cos \theta$
Work done by friction \mathcal{F}_k is
 $= 0.15 \times 6.0 \times 9.8 \times 3.0 \cos 180 = -26 (J)$
Thus the total work is
 $W = W_F + W_k = 36 - 26 = 10 (J)$
Using work-kinetic energy theorem and the fact that initial speed is 0, we obtain
 $W = W_F + W_k = \frac{1}{2} m v_f^2$
Solving the equation
for v_f we obtain
 $v_f = \sqrt{\frac{2W}{m}} = \sqrt{\frac{2 \times 10}{6.0}} = 1.8m/s$

1441-002, Fall 2010 Dr. Jaehoon

Yu

11

Potential Energy

Energy associated with a system of objects \rightarrow Stored energy which has the potential or the possibility to work or to convert to kinetic energy

What does this mean?

In order to describe potential energy, U, a system must be defined.

The concept of potential energy can only be used under the special class of forces called the conservative force which results in the principle of <u>conservation of mechanical energy</u>.

 $E_M \equiv KE_i + PE_i = KE_f + PE_f$

What are other forms of energies in the universe?

Mechanical Energy

Chemical Energy

Biological Energy

Electromagnetic Energy

Nuclear Energy

Thermal Energy

These different types of energies are stored in the universe in many different forms!!!

If one takes into account ALL forms of energy, the total energy in the entire universe is conserved. It just transforms from one form to another. 12

Gravitational Potential Energy

This potential energy is given to an object by the gravitational field in the system of Earth by virtue of the object's height from an arbitrary zero level

on the of an pE = 1

When an object is falling, the gravitational force, Mg, performs the work on the object, increasing the object's kinetic energy. So the potential energy of an object at a height y,the potential to do work, is expressed as

$$PE = \vec{F}_g \cdot \vec{y} = \left| \vec{F}_g \right| \left| \vec{y} \right| \cos \theta = \left| \vec{F}_g \right| \left| \vec{y} \right| = mgh \qquad PE \equiv mgh$$

The work done on the object by the gravitational force as the brick drops from y_i to y_f is: $W_{g} = PE_{i} - PE_{f}$ = $mgh_{i} - mgh_{f} = -\Delta PE$ (since $\Delta PE = PE_{f} - PE_{i}$)

What doesWork by the gravitational force as the brick drops from yi to yfthis mean?Work by the gravitational force as the brick drops from yi to yf

➔ Potential energy was spent in order for the gravitational force to increase the brick's kinetic energy.

Ex. A Gymnast on a Trampoline

The gymnast leaves the trampoline at an initial height of 1.20 m and reaches a maximum height of 4.80 m before falling back down. What was the initial speed of the gymnast?



Ex. Continued

From the work-kinetic energy theorem

W =
$$\frac{1}{2}mv_{\rm f}^2 - \frac{1}{2}mv_o^2$$





Work done by the gravitational force

$$W_{\text{gravity}} = mg\left(h_o - h_f\right)$$

Since at the maximum height, the final speed is 0. Using work-KE theorem, we obtain

$$mg\left(h_{o}-h_{f}\right)=-\frac{1}{2}mv_{o}^{2}$$

$$v_o = \sqrt{-2g\left(h_o - h_f\right)}$$

 $\therefore v_o = \sqrt{-2(9.80 \text{ m/s}^2)(1.20 \text{ m} - 4.80 \text{ m})} = 8.40 \text{ m/s}$



Example for Potential Energy

A bowler drops bowling ball of mass 7kg on his toe. Choosing the floor level as y=0, estimate the total work done on the ball by the gravitational force as the ball falls on the toe.



Let's assume the top of the toe is 0.03m from the floor and the hand was 0.5m above the floor.

 $U_{i} = mgy_{i} = 7 \times 9.8 \times 0.5 = 34.3J \quad U_{f} = mgy_{f} = 7 \times 9.8 \times 0.03 = 2.06J$ $W_{g} = -\Delta U = -(U_{f} - U_{i}) = 32.24J \cong 30J$

b) Perform the same calculation using the top of the bowler's head as the origin.

What has to change? First we must re-compute the positions of the ball in his hand and on his toe.

Assuming the bowler's height is 1.8m, the ball's original position is -1.3m, and the toe is at -1.77m.

$$U_{i} = mgy_{i} = 7 \times 9.8 \times (-1.3) = -89.2J \quad U_{f} = mgy_{f} = 7 \times 9.8 \times (-1.77) = -121.4J$$
$$W_{g} = -\Delta U = -(U_{f} - U_{i}) = 32.2J \cong 30J$$

